## Part 1 Introduction

1 Tensor has three intrinsic properties, i.e., scale + shape + orientation
2 Glyph visualization:

(a) Spherical tensor with varying scale alone

(b) Tensors with gradually varying shape alone

(c) Tensors with gradually varying orientation alone

Fig 1 Tensor three intrinsic properties
3 The task is to analyze a group of diffusion tensors.
There are two types of analysis \&visualization (demo) approaches.

- Euclidean Mean + 4th-order Covariance Tensor/Eigen-tensor + Invariant Gradients and Rotation Tangents decomposition


Figure 2 Screenshot of Covariance-based Visualization

- Our mean tensor glyph (encode each tensor property separately) and mean dODF glyph (directly model the diffusion PDF)


Figure 3 Our tensor variation glyph and dODF glyph

## Part 2 Ensemble Exploration

Name:
Task:
Visualization:
(1) What tensor shapes do you think are present in the ensemble? Mark them on the triangle.

(2) Is scale varying in this ensemble?
$\square$ No
$\square$ Don't know
(3) Describe the orientation variations.
$\square$ No variationYes, there is Don't know

Could you also tell the major direction(s) that has/have large diffusion variations?
(4) Is there a correlation between
$\square$ No correlation
$\square$ scale-orientation
$\square$ scale-shape
$\square$ shape-orientation
$\square$ scale-shape-orientation
$\square$ Don't know

## Part 3 Open Questions

(1) How useful do you think is way to analyze a group of tensors in scale, shape, and orientation separately (i.e., derive the mean and quantify the variations)?
$\square$ Very $\quad \square$Moderately
$\square$ Slightly
$\square$ Not at all
(2) How intuitive is our glyph design? Is
$\square$ Very $\quad \square$ Moderately $\quad \square$ Slightly $\quad \square$ Not at all
(3) How useful do you think the information provided by dODF?
$\square$ Very $\quad \square$ Moderately $\quad \square$ Slightly $\quad \square$ Not at all
(4) Which visualization do you prefer for analyzing the tensor ensemble?

Could you shortly state why?
$\square$ Neither
$\square$ Covariance Tensor
$\square$ Our Method
Both

The comparison of visualization for three synthetic ensembles:


